

# NORTHWESTERN UNIVERSITY

# How many are too many? Analyzing dockless bikesharing systems with a parsimonious model. Hongyu Zheng, Kenan Zhang, Yu (Marco) Nie, Pengyu Yan, and Yuan Qu Department of Civil and Environmental Engineering, Northwestern University

## Introduction

Dockless bikesharing (DLB) system: • Healthy, environment friendly, affordable, flexible.

#### **Spectacular rise since 2015**

- Fleet size grew 10,000 folds in 2.5 years in China.
- Ridership reached 70 million per day in 2018.

#### **Regulation challenges**

- Nasty pricing wars and massive oversupply.
- Consumed much of the public space.
- Operators struggled to properly maintain and position their fleets.

#### **Our contribution**

- □ Take the **regulator's perspective**.
- **Capture the interdependence between bikesharing and** other modes.
- □ Joint **fleet sizing and pricing** decision.
- □ Strive for a better balance between tractability and realism.

#### **Basic model**

#### Passenger demand $Q_h$

- Consider a city where people only travel by three modes
- Travel cost:

Walking:  $c_w = \frac{\mu}{v_w} l$ 

Biking via DLB:  $c_b = \left(f_b + \frac{\mu}{v_b}\right)l + \mu a$ 

Driving (motorized modes):  $c_d = \left(f_d + \frac{\mu}{v_d}\right)l + \tau$ 



Fig.1 Illustration of mode split in a simplified mobility market.

Demand for biking:  $Q_b = Q_0(F(\overline{l}) - F(\underline{l}))$ 

## **Bike supply (#idle bikes** *n***)**

Platform variables: bike fleet size B and fare rate  $f_h$ . • The conservation of total bike time:

## Access time a

a =

- $\delta$ : parameter determined by city's geometry
- *A*: the area of city
- $\tilde{n}$ : #unique bike locations
- its density is a function of the density of idle bikes,

i.e., 
$$\frac{\tilde{n}}{A} = z\left(\frac{n}{A}\right)$$
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#### Rebalancing

results in a loss of  $\sigma$  unique locations.

$$\frac{\alpha Q_b}{\sigma Q_b} = \frac{n}{\tilde{n}}$$

$$L = \delta \sqrt{\frac{A}{\sigma Q_b}} = \delta \sqrt{\frac{n}{\tilde{n}} \frac{A}{\alpha Q_b}}$$

#### **Proposition 1:**

defined in the base model always has a solution.

#### **Proposition 2:**

The number of idle bikes *n* strictly increases with the fleet size B.

## System design problems



$$\max_{B,f_b} R = f_b Q_0 \int_l^l x$$

**s.t.** Equilibrium constraints,  $B \ge 0$ ,  $f_b \ge 0$ 

profit while maintaining a stable level of service, i.e., a constant access time.

- $\checkmark$  A higher rebalancing speed  $v_r$  always leads to a greater profit.
- $\checkmark$  The optimal fare rate  $f_h^*$  with a lower rebalancing in the strong set order.



$$= \frac{\delta}{v_w} \sqrt{\frac{A}{\tilde{n}}}$$
  
by city's geometry

- ique location function)
- Each bike trip on average generates  $\alpha$  rebalancing trips and

$$\rightarrow \sigma = \frac{\alpha \tilde{n}}{n}$$

The average rebalancing distance between a bike to be rebalanced and the nearest replenishment location:

Given a bike fleet size B and a fare rate  $f_h$ , the equilibrium



**Proposition 3:** Suppose a DLB operator aims to maximize

speed dominates that with a higher rebalancing speed

#### **Ridership maximization:**

**max**  $Q_b$  **s.t.** Equilibrium constraints,  $B \ge 0$ ,  $f_b \ge 0$ 

## Social welfare maximization (system cost minimization)

**min** DLB operator's cost + Walking/Biking/Driving cost

**s.t.** Equilibrium constraints,  $B \ge 0$ ,  $f_b \ge 0$ 

## Case study

#### Data

Full sampled DLB trip records from a large DLB operator in Chengdu, China (43 days, 15,367,275 trips in total)

- #DLB bikes: 1.1 million (09/2018).
- Fleet cap: 0.6 million (05/2019); 0.45 million (05/2020).



Fig.2 Spatial and temporal distribution of trip records.

#### **Specification of unique bike location function**

Trips are sliced in time intervals (30 mins) and subareas (240)

- #Idle bikes n: If one bike is parked within a space-time slot, record its location.
- #Unique bike locations  $\tilde{n}$ : For each space-time slot, apply DBSCAN (MinPts=2,  $\epsilon$ =10m). Final result:  $\frac{\tilde{n}}{4} = 2.43 \left(\frac{n}{4}\right)^{0.73}$

1200 y = ax + b

---- y = aln(bx + 1)

data sample

Bike density  $(\frac{n}{4}, km^{-2})$ 

Fig.4 Empirical data and

fitted functions.



*Fig.3 Illustration of clustering results.* (474 bikes  $\rightarrow$  322 unique locations)



Table 1: DLB system performances: (i) profit maximization; (ii) ridership maximization with non-negative profit; and (iii) social optimum; (iv) the status quo.

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Scenarios	i	ii	iii	iv
Price (¥/km)	1.782	0.135	0.015	0.416
#bike	75,578	138,144	151,496	600,000
Access time (min)	1.04	0.84	0.82	0.48
Average trip distance (km)	0.95	1.40	1.47	1.26
Utilization ratio	4.62%	7.39%	7.45%	1.45%
Ridership	26,603	52,583	55,357	49,904
Social welfare	57,583	94,405	94,884	74,052
Profit	39,222 (87%)	0 (0%)	-9,587 (-810%)	-10,498 (-40%)
Maintain cost	4,307 (10%)	7,874 (79%)	8,635 (730%)	34,199 (131%)
Rebalancing cost	1,352 (3%)	2,055 (21%)	2,135 (180%)	2,463 (9%)
Revenue	44 883 (100%)	9 929 (100%)	1 182 (100%)	26 165 (100%)



Fig.6 Ridership and social welfare achieved when the operator maximizes profit (1,2) or ridership (3,4). In fleet control (1,3), price optimized with fleet size less than B. In price control (2,4), fleet size optimized with price less than  $f_b$ .

#### **Conclusions**

- Current fleet cap set by Chengdu (450,000) should be cut **by roughly two thirds** in order to avoid severe oversupply and waste.
- > Maximizing ridership with non-negative profit delivers more balanced outcomes.
- > The choice of regulator policy depends on the operator's objective:
  - If its focus is profit, limiting price is more effective. Between ¥ 0.2 and ¥ 0.4 per km for Chengdu.
  - If it aims to grow ridership for a dominant market position, then fleet size limit is a better strategy.